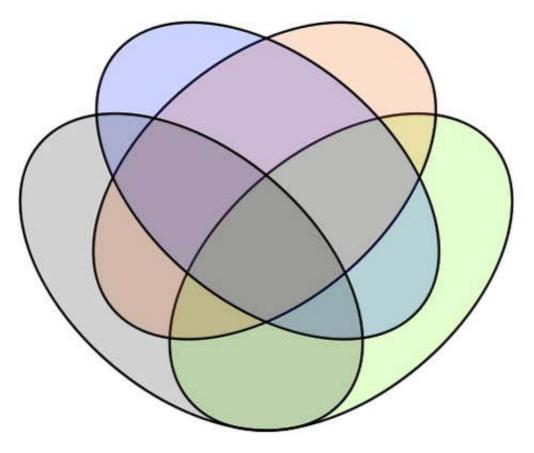
SET THEORY I



Venn Diagram for four sets

Set Theory I

1.1 Introduction: What is a Set?

At a simple level, a set can be thought of as a collection of objects.

The objects are often, but not always, numbers.

If it is helpful, a set can be given a name.

Here are two descriptions of the set that I've called F.

$$F = \{ \text{ The factors of } 14 \}$$

 $F = \{ 1, 2, 7, 14 \}$ Notice the use of curly set brackets, $\{ \}$, rather than curved, ().

1.2 Two Ways of Describing a Set

Think of another way of describing each of the following sets.

(i) $T = \{ \text{ Traffic light colours } \}$

[1 mark]

(ii) $S = \{ \text{ spring, summer, autumn, winter } \}$

[1 mark]

(iii) $P = \{ Mars, Earth, Saturn, ... \}$

[1 mark]

What does the dot, dot, dot indicate?

[1 mark]

(iv) $M = \{ \text{ Types of metal } \}$

[1 mark]

Teaching Video: http://www.NumberWonder.co.uk/v9003/1.mp4



Watch the Teaching Video and complete the above questions.

1.3 Exercise

Marks Available : 20 + 1 Bonus

Question 1

In the spirit of the introduction, give an alternative description of each of the following sets;

(i) $S = \{ \text{ Days of the week with the letter "s" is their spelling } \}$

[1 mark]

(ii) $V = \{ a, e, i, o, u \}$

[1 mark]

(iii) $F = \{ \text{ The factors of } 24 \}$

HINT: There are eight

[1 mark]

(iv) $A = \{+, -, \times, \div\}$

[1 mark]

(v) $P = \{ \text{ The prime numbers less than 20} \}$ HINT: 1 is NOT prime

[1 mark]

(vi) $C = \{ \text{ Values of copper coloured British coins in everyday use } \}$

[1 mark]

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G = \{ \alpha, \beta, \chi, \delta, \varepsilon, \phi, \gamma, \eta, \iota, \varphi, \kappa, \lambda, \mu, \nu, o, \pi, \theta, \rho, \sigma, \tau, \nu, \overline{\omega}, \omega, \xi, \psi, \zeta \}
(vii)
                                                                                      [ 1 mark ]
(viii) E = \{ \text{ Even prime numbers } \}
                                                              HINT: There's only one!
                                                                                      [ 1 mark ]
(ix) P = \{1, 2, 4, 8, 16, 32, 64, 128, ...\}
                                                                                      [ 1 mark ]
Notice the dot, dot, dot.
BONUS MARK: What does the ... tell you about this set?
                                                                            [BONUS 1 mark]
(\mathbf{x}) O = \{ \text{ Odd numbers } \}
                                                               HINT: List a few then put ...
                                                                                      [ 1 mark ]
[ 1 mark ]
(xii) F = \{ \text{ Factors of } 17 \}
                                                                                      [ 1 mark ]
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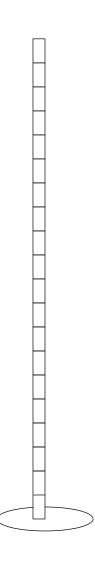
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(xiii) M = \{ \text{ Multiples of 5 that are } less than 60 \}
                                                                                [ 1 mark ]
(xiv) R = \{ I, V, X, L, C, D, M \}
                                                                                [ 1 mark ]
( xv ) R = \{ \text{ red, orange, yellow, green, blue, indigo, violet } \}
                                                                                [ 1 mark ]
(xvi) S = \{ \text{ hearts, clubs, spades, diamonds } \}
                                                                                [1 mark]
( xvii ) M = \{ \text{ makes of mobile phone } \}
                                             HINT: List a few then put ...
                                                                                [1 mark]
( xviii ) C = \{ \text{ ready salted, cheese & onion, prawn cocktail, ... } \}
                                                                                [1 mark]
( xix ) S = \{ square numbers \}
HINT:
                                                                                [ 1 mark ]
```

($\mathbf{x}\mathbf{x}$) $T = \{ \text{ triangular numbers } \}$

HINT:



[1 mark]



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Teachers may obtain detailed worked solutions to the exercises by email from mhh@shrewsbury.org.uk