GCSE Mathematics
Set Theory II
2.1 Shady Goings On


Shade: A


Shade $: A \cup B \cup C$


Shade : B $\cap C^{\prime}$


Shade $:(B \cup C)^{\prime}$


Shade : $\boldsymbol{A} \cap \boldsymbol{B}$


Shade $:(A \cup B \cup C)^{\prime}$


Shade : $\boldsymbol{A} \cup \boldsymbol{B}$


Shade : $\boldsymbol{B}^{\prime}$


Shade $: B \cup C$


Shade : $C \cup A^{\prime}$
[ 12 marks ]

### 2.2 Exercise

## Marks Available : 30

## Question 1

Let: $A$ be the set of numbers in the infinite sequence $1,5,9,13,17, \ldots$ $B$ be the set of numbers in the infinite sequence $3,7,11,15,19, \ldots$
(i) List the first few members of the set $A \cup B$
( ii ) What is the special name given to the set $A \cup B$ ?
[ 1 mark]
( iii ) Use a Set Theory Symbol to describe $A \cap B$
[ 1 mark ]

## Question 2

On the Venn Diagrams below, shade the part that represents;
(i) $L \cup A$
(ii) $L \cup A^{\prime}$
( iii) $L^{\prime} \cup A$
(iv) $L^{\prime} \cup A^{\prime}$
(i)

( ii )

( iii )

(iv)


## Question 3

Sets $A$ and $B$ are :
$A=\{$ The multiples of 3 that are less than 20$\}$
$B=\{$ The multiples of 6 that are less than 20$\}$
( i ) List the elements of set $A$
( ii ) List the elements of set $B$
[ 1 mark ]
( iii ) Complete the Venn Diagram to show the relationship between sets $A$ and $B$

( iv ) The Venn Diagram is drawn in an unusual way.
Explain why this has been done.

## Question 4

In this question,

$$
\begin{aligned}
& \varepsilon=\{\text { all cars in the world }\} \\
& P=\{\text { pink cars }\}
\end{aligned}
$$

$$
R=\{\text { Rolls-Royce cars }\}
$$

(i) Describe the set $P \cap R$ in words
( ii ) George writes that $P \cap R=\varnothing$
Describe in words what George is claiming.
( Do you think George is correct?)

Question 5


Shade : $B \cap C^{\prime}$


Shade : $\boldsymbol{A} \cap \boldsymbol{C}$


Shade : $\boldsymbol{B}^{\prime} \cap \boldsymbol{C}^{\prime}$


Shade : $B \cup C$


Shade : $\boldsymbol{B} \cup \boldsymbol{B}^{\prime}$


Shade : $(A \cap C)^{\prime}$


Shade : $A \cap A$


Shade : $(\boldsymbol{A} \cap B \cap C)^{\prime}$


Shade $: B \cup C^{\prime}$


Shade $:(A \cup C)^{\prime}$


Shade : $A \cup A$


Shade $:(A \cup B \cup C)^{\prime}$
[ 12 marks ]

