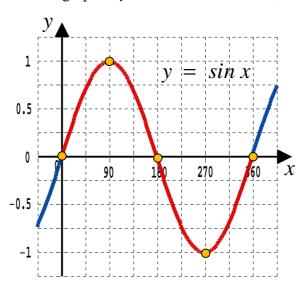
### 10.1 Revision for TEST

### **Question 1**

(i) Use your calculator to find a solution to the equation;

$$y = \sin 50^{\circ}$$

(ii) A section of the graph of  $y = \sin x$  is shown below;



Show, by drawing on the graph, where your part (i) solution is.

(iii) Use your calculator to find a solution to the equation;

$$y = \sin 260^{\circ}$$

(iv) Show, by drawing on the graph, where your part (iii) solution is.

[ 8 marks ]

### **Question 2**

Use your calculator to calculate in one go, the value of the following;

$$\frac{\sin 90^{\circ} + \sin 45^{\circ}}{\sin 90^{\circ} - \sin 45^{\circ}}$$

Give the answer correct to 4 decimal places.

- (i) Solve the equation A = arccos(-0.627)Give your answer to 1 decimal place.
- (ii) If cos B = 0.751 what is B? Give your answer in degrees, to 1 decimal place.
- (iii) Calculate the value of x correct to 3 significant figures;

$$x = \frac{5.8 \times \sin 76^{\circ}}{\sin 13^{\circ}}$$

( iv ) Solve the following equation.

Give your answer correct to 3 significant figures.

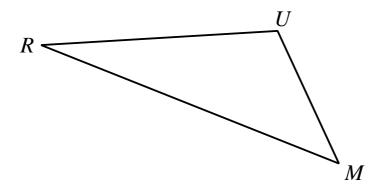
$$\frac{x}{\sin 28^{\circ}} = \frac{723}{\sin 51^{\circ}}$$

[ 8 marks ]

### **Question 4**

Give a rough sketch of the graph of y = tan x in the space below. Your sketch should be over the interval  $0^{\circ} \le x \le 360^{\circ}$ 

A triangle,  $\triangle RUM$ , is shown below.



(i) On  $\triangle RUM$  place the letters r, u and m.

[ 1 mark ]

- (ii) On  $\triangle RUM$  add the facts that
  - $\angle R = x^{\circ}$ , the angle to be found.
  - RM = 31.2 cm
  - MU = 29.4 cm
  - $\angle U = 115^{\circ}$ .

[ 1 mark ]

(iii) On  $\triangle RUM$  mark the two excluded angles, each with a \*.

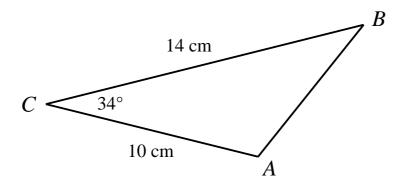
[ 1 mark ]

(iv) Write down the 'upside down' version of the sine rule for  $\triangle RUM$ .

[ 1 mark ]

( $\mathbf{v}$ ) Find angle x, in degrees and accurate to 3 significant figures.

In  $\triangle ABC$ , shown below,  $\angle C = 34^{\circ}$  and lies between CB = 14 cm and CA = 10 cm.



- (i) Use *The Cosine Rule* to calculate the length of side *AB*.
- (ii) Use *The Useful Area Of A Triangle Formula* to calculate the triangle's area.

In both cases, clearly state the units of your answer.

A triangle has sides of length 12 cm, 15 cm and 18 cm. Find the size of the angle opposite the side of length 15 cm.

In  $\triangle ABC$ , two of the angles are,  $A = 48^{\circ}$ , and  $C = 24^{\circ}$ .

Opposite the angle, B, is a side of length 17.3 cm.

- (i) Use a well known fact about the sum of the angles in a triangle to determine the size of angle *B*.
- (ii) Sketch the triangle, not to scale, and mark on all known lengths and angles.
- (iii) Find the length of each missing side, stating which is BC and which is AB.

In  $\triangle ELF$ , e=8.6 cm, f=18.4 cm and  $L=72^{\circ}$ . Find length l.

The area of any regular polygon is given by the formula;

$$A = \frac{n r^2 sin\left(\frac{360}{n}\right)}{2}$$

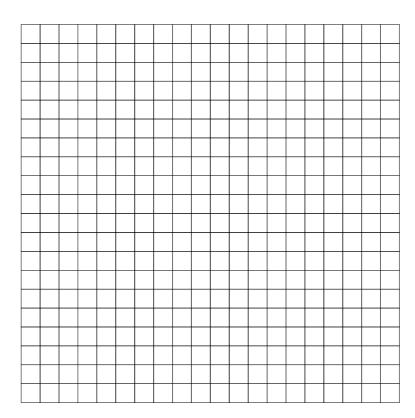
where n is the number of sides,

and r is the 'radius' of the polygon, the length of a spoke from it's centre to a vertex.

(i) With r fixed at 2.5 cm, complete the following table

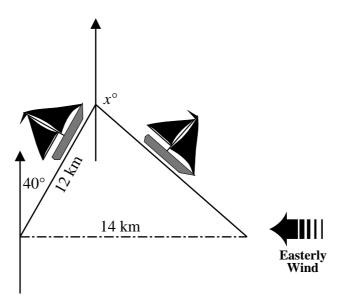
n	3	4	5	6	7	8	9	10	11	12
A										

(ii) Plot a graph of your results with n in the x-axis and area A on the y-axis



(iii) What would you expect to happen to A as n continues to increase?

In order to make progress into a due East headwind, a sailing yacht tacks 12 km on a bearing of  $040^{\circ}$  before changing tack and sailing a further distance as shown below.



It has at this point made 14 km of effective progress directly to the East. Determine the bearing on which the yacht progressed, marked  $x^{\circ}$ , when sailing on the second tack.

- (i) For any triangle,  $\triangle ABC$ , explain why  $\frac{1}{2} bc \sin A = \frac{1}{2} ab \sin C$
- (ii) Hence prove that

$$\frac{\sin A}{a} = \frac{\sin C}{c}$$

- (iii)  $\triangle ABC$  has a=17 cm, c=15 cm and  $\angle C=54^{\circ}$ . Find the acute angle,  $\angle A$ .
- (iv) Had you been told that  $\angle A$  was obtuse, what would  $\angle A$  have been?

[ 11 marks ]